

$$Z_1 := 1 \text{ m} \quad (\text{Altura tanque})$$

$$Z_2 := 0.71357 \text{ m} \quad (\text{Altura cilindro})$$

$$v_1 := 0 \quad \frac{\text{m}}{\text{s}}$$

$$L_s := 2 \text{ m} \quad (\text{Longitud de tubería en tramo de succión})$$

$$L_d := 2.759 \text{ m} \quad (\text{Longitud de tubería en tramo de descarga})$$

$$f := \frac{0.027 + 0.025 + 0.023 + 0.022 + 0.021 + 0.019 + 0.018 + 0.017 + 0.016 + 0.015 + 0.014 + 0.013 + 0.012}{13} = 0.019$$

$$D_s := \frac{1}{4} \cdot 0.0254 = 6.35 \times 10^{-3}$$

$$P_1 := 101325 \text{ Pa}$$

$$P_2 := 15000 \cdot \left(\frac{6894.75729}{1} \right) + 101325 = 1.035 \times 10^8 \text{ Pa}$$

$$P_b := 2.305 \text{ HP}$$

$$Q := 0.17 \cdot 0.00006309 = 1.073 \times 10^{-5} \quad \frac{\text{m}^3}{\text{s}}$$

$$\frac{P_1}{\rho g} + h_1 + \frac{v_1^2}{2g} - \sum H_{r1-2} + \sum H_b - \sum H_t = \frac{P_2}{\rho g} + h_2 + \frac{v_2^2}{2g}$$

$$H_b := \frac{P_b \cdot 745.699872}{Q \cdot \zeta} = 1.634 \times 10^4 \text{ m}$$

$$v_s := \frac{4 \cdot Q}{\pi \cdot D_s^2} = 0.339 \text{ m}$$

$$v_d(D_d) := \frac{4 \cdot Q}{\pi \cdot D_d^2} \rightarrow \frac{0.000013655876089148040358}{D_d^2}$$

Características agua

$$\mu := 0.000891 \quad \frac{\text{kg}}{\text{m} \cdot \text{s}} \quad \text{Viscosidad dinamica } 25^\circ\text{C}$$

$$\rho := 1000 \quad \frac{\text{kg}}{\text{m}^3} \quad \text{Densidad del agua}$$

$$e := 4.6 \cdot 10^{-5} \text{ m} \quad \text{Rugosidad tubería} \quad (\text{Mott [8]})$$

$$\zeta := \rho \cdot 9.81 = 9.81 \times 10^3 \quad \frac{\text{N}}{\text{m}^3} \quad \text{Peso específico}$$

Accesorios

K

Entrada a ras de filo agudo:	0.5	(Rocha [13])
Valvula check	400*ft	(Crane [12])
Tee directa	20*ft	(Crane [12])
Tee desviada	60*ft	(Crane [12])
Conector	2*ft	(Pope [19])
Curva 90°	35*ft	(Pope [19])
Electro Valvulas (Aguja)	340*ft	(Crane [12])

$$h_f(D_d) := \left[\left[\frac{f \cdot L_s}{D_s} + (0.5 + 150 \cdot f + 2 \cdot 2 \cdot f) \right] \cdot \frac{v_s^2}{2 \cdot 9.81} + \left[\frac{f \cdot L_d}{D_d} + (400 \cdot f + 11 \cdot 35 \cdot f + 2 \cdot 20 \cdot f + 2 \cdot 60 \cdot f + 18 \cdot 2 \cdot f + 2 \cdot 340 \cdot f) \right] \cdot \frac{v_d(D_d)^2}{2 \cdot 9.81} \right] \text{simplificar} \rightarrow \frac{0.053956205830435200079 \cdot D_d^5 + 2.9388794893838099921 \text{e-}10 \cdot D_d + 4.8816186099999589213 \text{e-}13}{D_d^5}$$

$$a(D_d) := \frac{P_1}{\zeta} + Z_1 - h_f(D_d) + H_b - \frac{P_2}{\zeta} - \frac{v_d(D_d)^2}{2 \cdot 9.81} - Z_2 \left| \begin{array}{l} \text{simplificar} \\ \text{recopilar} \end{array} \right. \rightarrow - \frac{1.0 \text{e-}32 \cdot \left(3.0339268654093783802 \text{e}22 \cdot D_d - 5.7941970348195462804 \text{e}35 \cdot D_d^5 + 4.8816186099999589213 \text{e}19 \right)}{D_d^5}$$

$$a(D_d) \text{ resolver, } D_d \rightarrow \begin{pmatrix} 0.00065266194535069755733 \\ 0.00015393704524225725373 - 0.00060881666846992688753i \\ 0.00015393704524225725373 + 0.00060881666846992688753i \\ -0.00048026801791760603239 - 0.00031093416438223751428i \\ -0.00048026801791760603239 + 0.00031093416438223751428i \end{pmatrix}$$

$$D_d := 0.0006526619 \quad \text{m}$$

EL PROCEDIMIENTO ANTERIOR SE REPITE CAMBIANDO LAS VARIABLES DE CAUDAL Y DIÁMETRO DE SUCCIÓN.